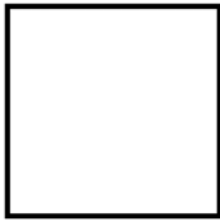
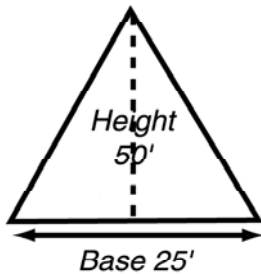


# DETERMINING AREAS ON MY COURSE



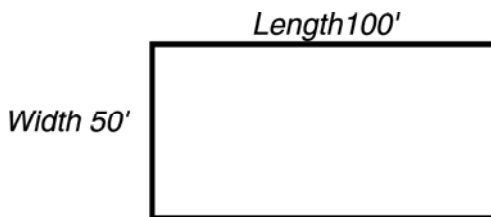
Length = 100 ft

Square = length x length  
Area =  $100 \times 100 = 10\,000 \text{ ft}^2$



Triangle =  $\frac{\text{base} \times \text{height}}{2}$

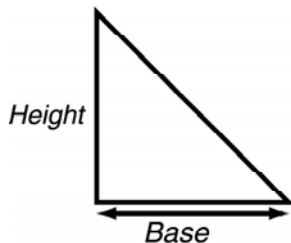
Area =  $\frac{25 \times 50}{2} = 625 \text{ ft}^2$



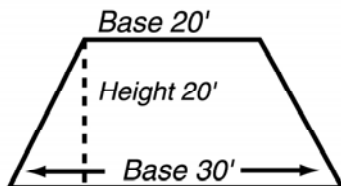
Rectangle = length x width  
Area =  $100 \times 50 = 5\,000 \text{ ft}^2$



Circle =  $3.1416 \times \text{radius} \times \text{radius}$   
Area =  $3.1416 \times 50 \times 50 = 7854 \text{ ft}^2$   
or =  $0.7854 \times \text{diameter} \times \text{diameter}$   
=  $0.7854 \times 100 \times 100 = 7854 \text{ ft}^2$

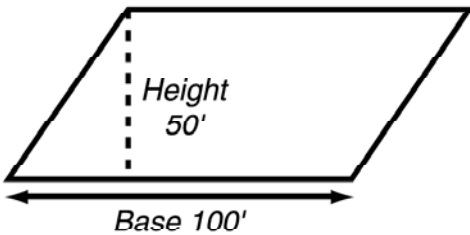


Right triangle =  $\frac{\text{base} \times \text{height}}{2}$



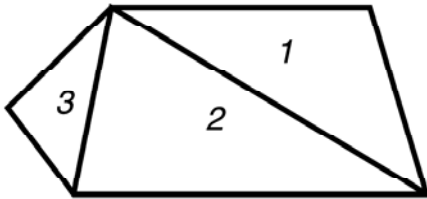
Trapezoid =  $\frac{\text{base} + \text{base}}{2} \times \text{height}$   
Area =  $\frac{20 + 30}{2} \times 20 = 500 \text{ ft}^2$

# DETERMINING AREAS ON MY COURSE

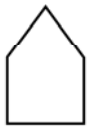


Parallelogram = base x height

$$\text{Area} = 100 \times 50 = 5\,000 \text{ ft}^2$$



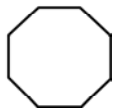
Divide into three triangles: determine the area of each triangle, then add the three areas.



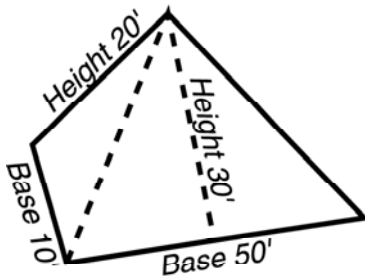
side 50'  
Pentagon (5 equal sides)  
 $\text{Area} = 50 \times 50 \times 1.72 = 4\,300 \text{ ft}^2$



side 50'  
Hexagon (6 equal sides)  
 $\text{Area} = 50 \times 50 \times 2.598 = 6\,495 \text{ ft}^2$



side 25'  
Octagon (8 equal sides)  
 $\text{Area} = 25 \times 25 \times 4.838 = 3\,024 \text{ ft}^2$



No two sides are parallel.

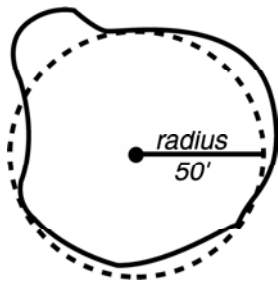
Split into two triangles and add both areas.

$$A_1 = \frac{50 \times 30}{2} = 750 \text{ ft}^2$$

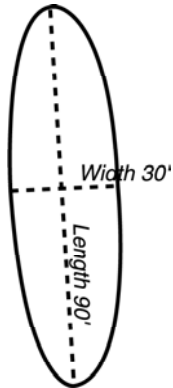
$$A_2 = \frac{10 \times 20}{2} = 100 \text{ ft}^2$$

$$\text{Total area} = 750 + 100 = 850 \text{ ft}^2$$

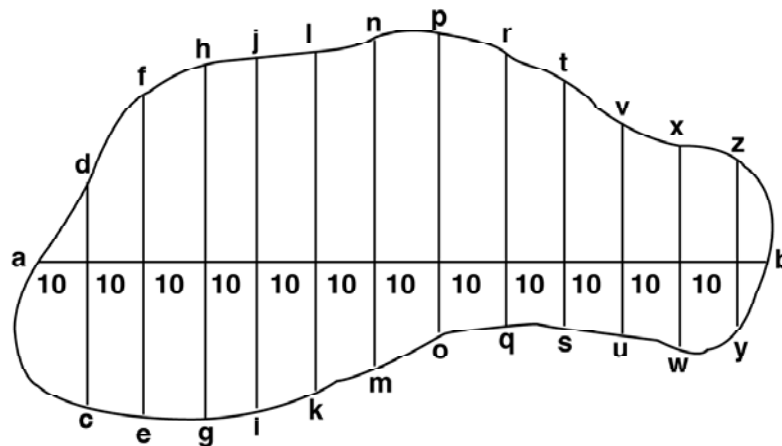
# DETERMINING AREAS ON MY COURSE



Area of an irregular shape:  
it can be redrawn as a circle, thus area =  
3. 1416 x 50 x 50 = 7 854 ft<sup>2</sup>



Oval (egg shaped) area  
Area = 0.8 x length x width  
= 0.8 x 90 x 30 = 2 160 ft<sup>2</sup>



55 feet

yz = 30 feet

An irregularly shaped area:

1. Measure the longest horizontal distance ab (say 120 feet).
2. Measure the distance of the vertical lines at every 10 feet at right angles along the horizontal line (ab).

c d = 40 feet  
e f = 55 feet  
g h = 60 feet  
i j = 60 feet  
k l = 60 feet  
m n =

o p = 50 feet  
q r = 45 feet  
s t = 40 feet  
u v = 35 feet  
w x = 30 feet

# DETERMINING AREAS ON MY COURSE

$$\begin{aligned} \text{Area} &= 10 (40+55+60+60+60+55+50+45+40+35+30+30) \\ \text{Area} &= 5\,600 \text{ ft}^2 \end{aligned}$$

In case the piece of land is too irregular in shape, measure the vertical lines at a closer distance (say every 5 feet) along the horizontal line (ab) for more accurate results. As noticed in the figure, the vertical lines break down the area to a series of trapezoids where each one has a height of 10 feet (it can be less than 10 feet). The total number of ten-foot distances must be very close to the length of the horizontal line (ab).

A different method of determining the area of an irregularly shaped place is to measure the length (ab). Measure as many vertical lines cd, ef, gh, ij,...as possible. Add the lengths of all the vertical lines and divide by the number of vertical lines measured to have an average of one vertical line that will be considered as a width. Finally, the irregularly shaped place is considered as a rectangle.

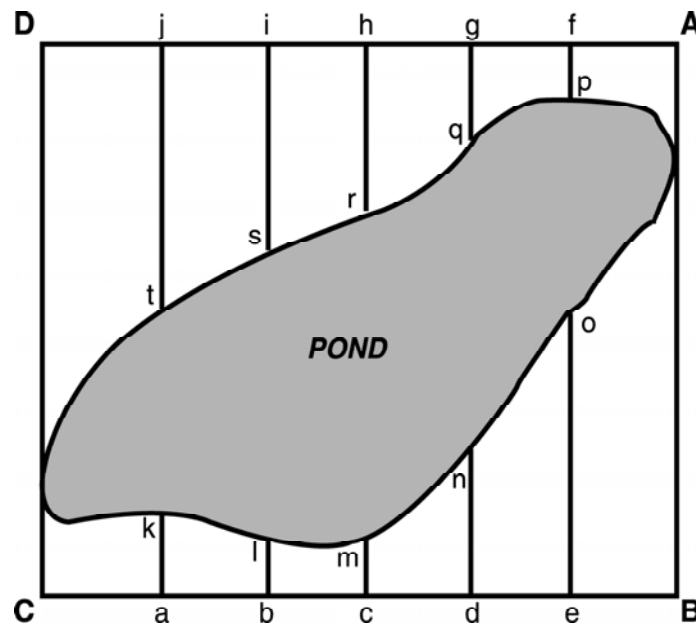
Area = length a b x average width of vertical lines  
Using the values of the example cited on the previous page:

$$= \frac{40 + 55 + 60 + 60 + 60 + 55 + 50 + 45 + 40 + 35 + 30 + 30}{12} = \frac{560}{12} = 46.67 \text{ feet}$$

$$\begin{aligned} \text{Length of ab} &= 10 \times 12 = 120 \text{ feet} \\ \text{Area} &= 46.67 \times 120 = 5\,600.4 \text{ ft}^2 \end{aligned}$$

Note that the exact length of ab in the drawing is longer than 120 because there is a little length close to the point b that was not accounted for. This length is smaller than 10 feet because at the beginning we decided to measure the vertical lines at ten - foot increments. If we measure the vertical lines at five - foot increments, the value of the calculated area will be more accurate. Suppose the increments were measured every 5 feet and the last 4 feet were not measured thus the real area would be  $46.67 \times 124 = 5787 \text{ ft}^2$  when our practical measurements were  $5600 \text{ ft}^2$  which is an error of 3.2% less than the real area. A measured value within plus or minus 3% accuracy from the real value is considered good.

# DETERMINING AREAS ON MY COURSE



## Area of a pond:

1. Put stakes at the four corners of the rectangle ABCD
2. Sides AB and CD touch the farthest points of the pond
3. Measure the length of AB = 60 feet which is equal to CD (rectangle)
4. Measure AD = 50 feet which is equal to BC
5. ABCD area =  $60 \times 50 = 3\,000 \text{ ft}^2$
6. Establish vertical distances aj, bi, ch, dg, ef, at every 10 feet parallel to sides AB and CD
7. Measure the following lengths:

|              |              |
|--------------|--------------|
| ak = 10 feet | tj = 25 feet |
| bl = 8 feet  | si = 20 feet |
| cm = 8 feet  | rh = 18 feet |
| dn = 15 feet | qg = 15 feet |
| eo = 25 feet | rf = 10 feet |

8. Length of aj = AB = 60 feet,

thus  $kt = aj - ak - tj = 60 - 10 - 25 = 25$  feet.

Similarly

|               |
|---------------|
| l s = 32 feet |
| m r = 34 feet |
| n q = 30 feet |
| o p = 25 feet |

9. Total lengths of  $kt + ls + mr + nq + op = 146$  feet
10. Pond area =  $146 \times 10 = 1\,460 \text{ ft}^2$

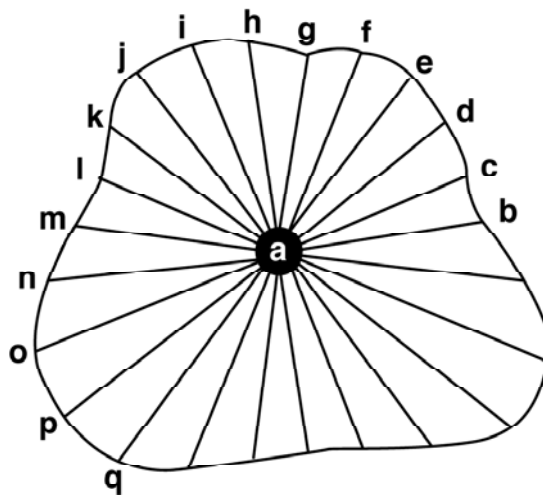
# DETERMINING AREAS ON MY COURSE

## Converting an area to a circle

If a golf green is close to a circle, determination of its area can be done as follows:

1. Determine a central point from the middle of the green to all the edges.
2. Measure, at least 100 times in different places, the distance from the same central point to the edge such as ab, ac, ad, ae, af, ag, ah,...
3. Add all measures (ab + ac + ad...) and divide by the total number of measured distances to get an average radius of the circle.

Area of a circle =  
radius x radius x 3.1416



Even if the green's area does not resemble a circle, the above mentioned method of measurement is still valid.

